### Concurrency Control

■ The problem of synchronizing concurrent transactions such that the consistency of the database is maintained while, at the same time, maximum degree of concurrency is achieved.

#### Principles:

- We want to interleave the execution of transactions for performance reasons
  - E.g., execute operations of another transaction when the first one starts doing I/O.
- However, we want the results of interleaved executions to be equivalent to non-interleaved execution for correctness
  - We need to be able to reason about the execution order of transactions.

# Potential Anomalies Due to Concurrent Execution

#### Lost updates

- The effects of some transactions are not reflected in the database.
- Transaction  $T_2$  reading uncommitted changes to data made by transaction  $T_1$ .
  - **Write-Read conflicts** ■
- Transaction  $T_2$  overwriting uncommitted changes of transaction  $T_1$ .
  - **Write-Write conflicts**
- Inconsistent retrievals (unrepeatable reads)
  - A transaction, if it reads the same data item more than once, should always read the same value.
  - Transaction  $T_2$  modifies data that is being accessed by transaction  $T_1$ .
    - Read-Write conflicts

### Execution Schedule (or History)

- An order in which the operations of a set of transactions are executed.
- A schedule (history) can be defined as a partial order over the operations of a set of transactions.

```
T_1: Read(x) T_2: Write(x) T_3: Read(x) Write(x) Write(y) Read(y) Commit Read(z) Commit Commit
```

 $H_1 = W_2(x) R_1(x) R_3(x) W_1(x) C_1 W_2(y) R_3(y) R_2(z) C_2 R_3(z) C_3$ 

### Formalization of Schedule

A complete schedule SC(T) over a set of transactions  $T=\{T_1, ..., T_n\}$  is a partial order  $SC(T)=\{\Sigma_T, <_T\}$  where

- $\bullet \Sigma_T = \bigcup_i \Sigma_i \quad \text{, for } i = 1, 2, ..., n$
- $2 < T \supseteq \bigcup_{i < i}$ , for i = 1, 2, ..., n
- **3** For any two conflicting operations  $o_{ij}$ ,  $o_{kl} \in \Sigma_T$ , either  $o_{ij} <_T o_{kl}$  or  $o_{kl} <_T o_{ij}$

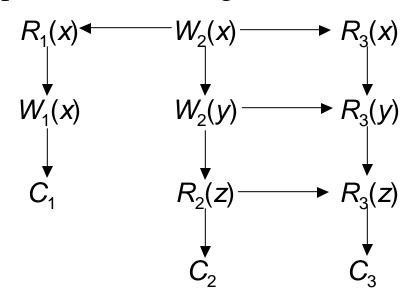
(Remember:  $o_{ij}$  is an operation of transaction  $T_i$ )

### Complete Schedule – Example

#### Given three transactions

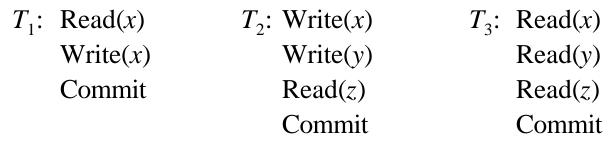
$T_1$ :	Read(x)	$T_2$ : Write(x)	$T_3$ : Read( $x$ )
	Write(x)	Write(y)	Read(y)
	Commit	Read(z)	Read(z)
		Commit	Commit

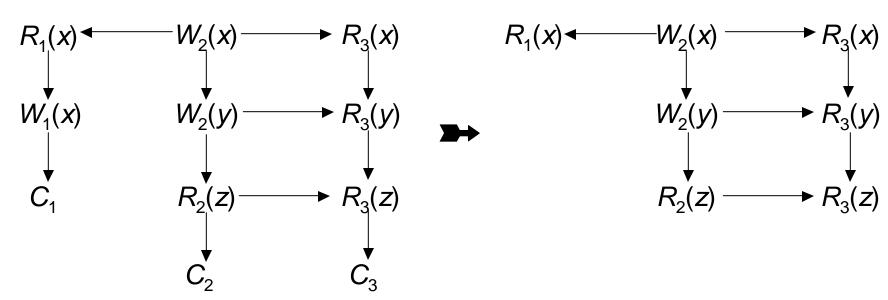
A possible complete schedule is given as the DAG



### Schedule Definition

A schedule is a prefix of a complete schedule such that only some of the operations and only some of the ordering relationships are included.





### Serial Schedule

- All the actions of a transaction occur consecutively.
- No interleaving of transaction operations.
- If each transaction is consistent (obeys integrity rules), then the database is guaranteed to be consistent at the end of executing a serial schedule.

$T_1$ : Read( $x$ )	$T_2$ : Write(x)	$T_3$ : Read(x)
Write(x)	~ Write( <i>y</i> )	Read(y)
Commit	$\operatorname{Read}(z)$	Read(z)
	Commit	Commit

$$H_{s} = \underbrace{W_{2}(x) \ W_{2}(y) \ R_{2}(z) \ C_{2}}_{T_{2}} \underbrace{R_{1}(x) \ W_{1}(x) \ C_{1}}_{T_{1}} \underbrace{R_{3}(x) \ R_{3}(y) \ R_{3}(z) \ C_{3}}_{T_{3}}$$

### Serializable Schedule

- Transactions execute concurrently, but the net effect of the resulting schedule upon the database is *equivalent* to some *serial* schedule.
- Equivalent with respect to what?
  - *Conflict equivalence*: the relative order of execution of the conflicting operations belonging to committed transactions in two schedules are the same.
  - *Conflicting operations*: two incompatible operations (e.g., Read and Write) conflict if they both access the same data item.
    - → Incompatible operations of each transaction is assumed to conflict; do not change their execution orders.
    - If two operations from two different transactions conflict, the corresponding transactions are also said to conflict.

### Serializable Schedule

$T_1$ : Read(x)	$T_2$ : Write(x)	T3: Read( $x$ )
Write(x)	$\tilde{W}$ rite(y)	Read(y)
Commit	Read(z)	Read(z)
	Commit	Commit

#### The following are not conflict equivalent

$$H_s = W_2(x) \ W_2(y) \ R_2(z) \ C_2 \ R_1(x) \ W_1(x) \ C_1 \ R_3(x) \ R_3(y) \ R_3(z) \ C_3$$
  
 $H_1 = W_2(x) \ R_1(x) \ R_3(x) \ W_1(x) \ C_1 \ W_2(y) \ R_3(y) \ R_2(z) \ C_2 \ R_3(z) \ C_3$ 

# The following are conflict equivalent; therefore $H_2$ is *serializable*.

$$H_{s}=W_{2}(x) \ W_{2}(y) \ R_{2}(z) \ C_{2} \ R_{1}(x) \ W_{1}(x) \ C_{1} \ R_{3}(x) \ R_{3}(y) \ R_{3}(z) \ C_{3}$$

$$H_{2}=W_{2}(x) \ R_{1}(x) \ W_{1}(x) \ C_{1} \ R_{3}(x) \ W_{2}(y) \ R_{3}(y) \ R_{2}(z) \ C_{2} \ R_{3}(z) \ C_{3}$$

# Serializability Graph

- Serializability graph  $SG_H = \{V,E\}$  for schedule H:
  - $V=\{T \mid T \text{ is a committed transaction in } H\}$
  - $E = \{T_i \to T_j \text{ if } o_{ij} \in T_i \text{ and } o_{kl} \in T_k \text{ conflict and } o_{ij} <_H o_{kl} \}$



■ Theorem: Schedule H is serializable iff  $SG_H$  does not contain any cycles.

# Concurrency Control Algorithms

- Pessimistic
  - Two-Phase Locking-based (2PL)
  - Timestamp Ordering (TO)
- Optimistic

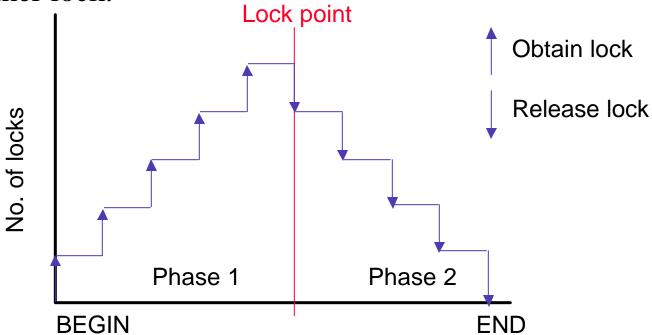
### Locking-Based Algorithms

- Transactions indicate their intentions by requesting locks from the scheduler (called lock manager).
- Locks are either read lock (rl) [also called shared lock] or write lock (wl) [also called exclusive lock]
- Read locks and write locks conflict (because Read and Write operations are incompatible

■ Locking works nicely to allow concurrent processing of transactions.

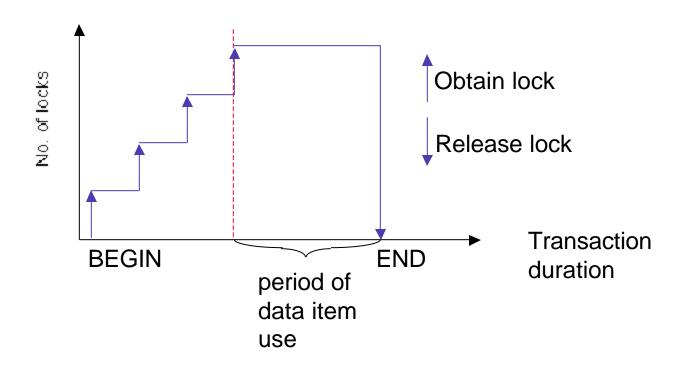
# Two-Phase Locking (2PL)

- 1 A Transaction locks an object before using it.
- 2 When an object is locked by another transaction, the requesting transaction must wait.
- 3 When a transaction releases a lock, it may not request another lock.



### Strict 2PL

#### Hold locks until the end.



# Timestamp Ordering

- **1** Transaction  $(T_i)$  is assigned a globally unique timestamp  $ts(T_i)$ .
- 2 Transaction manager attaches the timestamp to all operations issued by the transaction.
- **3** Each data item is assigned a write timestamp (*wts*) and a read timestamp (*rts*):
  - rts(x) = largest timestamp of any read on x
  - wts(x) = largest timestamp of any write on x
- **4** Conflicting operations are resolved by timestamp order.

#### Basic T/O:

```
for R_i(x):

if ts(T_i) < wts(x)

then reject R_i(x)

else {accept R_i(x)

tts(x) \leftarrow ts(T_i) }

for W_i(x):

if ts(T_i) < rts(x) or ts(T_i) < wts(x)

then reject W_i(x)

else {accept W_i(x)

wts(x) \leftarrow ts(T_i) }
```

# Multiversion Timestamp Ordering

- Do not modify the values in the database, create new values.
- $\blacksquare$  A  $R_i(x)$  is translated into a read on one version of x.
  - Find a version of x (say  $x_v$ ) such that  $ts(x_v)$  is the largest timestamp less than  $ts(T_i)$ .
- A  $W_i(x)$  is translated into  $W_i(x_w)$  and accepted if the scheduler has not yet processed any  $R_j(x_r)$  such that

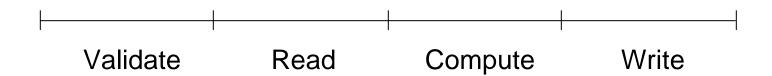
$$ts(T_i) < ts(x_r) < ts(T_j)$$

$$W_i(x) \quad Some other transaction \quad R_j(x_r)$$

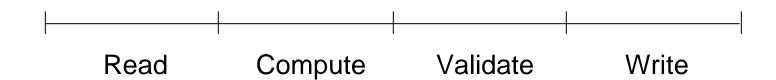
$$created x_r$$

# Optimistic Concurrency Control Algorithms

#### Pessimistic execution



#### Optimistic execution



# Optimistic CC Validation Test

- 1 If all transactions  $T_k$  where  $ts(T_k) < ts(T_i)$  have completed their write phase before  $T_i$  has started its read phase, then validation succeeds
  - Transaction executions in serial order

$$T_k \vdash R + V + W \vdash T_i \vdash R + V + W \vdash$$

# Optimistic CC Validation Test

- 2 If there is any transaction  $T_k$  such that  $ts(T_k) < ts(T_i)$  and which completes its write phase while  $T_i$  is in its read phase, then validation succeeds if  $WS(T_k) \cap RS(T_i) = \emptyset$ 
  - Read and write phases overlap, but  $T_i$  does not read data items written by  $T_k$

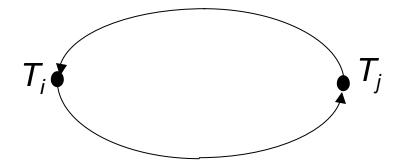
# Optimistic CC Validation Test

- If there is any transaction  $T_k$  such that  $ts(T_k) < ts(T_i)$  and which completes its read phase before  $T_i$  completes its read phase, then validation succeeds if  $WS(T_k) \cap RS(T_i) = \emptyset$  and  $WS(T_k) \cap WS(T_i) = \emptyset$ 
  - They overlap, but don't access any common data items.

$$T_k \vdash R \vdash V \vdash W \mid T_i \vdash R \vdash V \vdash W \mid$$

### Deadlock

- A transaction is deadlocked if it is blocked and will remain blocked until there is intervention.
- Locking-based CC algorithms may cause deadlocks.
- Wait-for graph
  - If transaction  $T_i$  waits for another transaction  $T_j$  to release a lock on an entity, then  $T_i \rightarrow T_j$  in WFG.



# Deadlock Management

#### Prevention

• Guaranteeing that deadlocks can never occur in the first place. Check transaction when it is initiated. Requires no run time support.

#### Avoidance

 Detecting potential deadlocks in advance and taking action to insure that deadlock will not occur. Requires run time support.

#### Detection and Recovery

• Allowing deadlocks to form and then finding and breaking them. As in the avoidance scheme, this requires run time support.

### Deadlock Prevention

- All resources that may be needed by a transaction must be predeclared.
  - The system must guarantee that none of the resources will be needed by an ongoing transaction.
  - Resources must only be reserved, but not necessarily allocated a priori
  - Unsuitable in database environment
  - Suitable for systems that have no provisions for undoing processes.

#### ■ Evaluation:

- Reduced concurrency due to pre-allocation
- Evaluating whether an allocation is safe leads to added overhead.
- Difficult to determine (partial order)
- + No transaction rollback or restart is caused.

### Deadlock Avoidance

- Transactions are not required to request resources a priori.
- Transactions are allowed to proceed unless a requested resource is unavailable.
- In case of conflict, transactions may be allowed to wait for a fixed time interval.
- Order the data items and always request locks in that order.
- More attractive than prevention in a database environment.

# Deadlock Avoidance – Wait-Die & Wound-Wait Algorithms

**WAIT-DIE Rule:** If  $T_i$  requests a lock on a data item which is already locked by  $T_j$ , then  $T_i$  is permitted to wait iff  $ts(T_i) < ts(T_j)$ . If  $ts(T_i) > ts(T_j)$ , then  $T_i$  is aborted and restarted with the same timestamp.

- if  $ts(T_i) < ts(T_i)$  then  $T_i$  waits else  $T_i$  dies
- non-preemptive:  $T_i$  never preempts  $T_i$

**WOUND-WAIT Rule:** If  $T_i$  requests a lock on a data item which is already locked by  $T_j$ , then  $T_i$  is permitted to wait iff  $ts(T_i)>ts(T_j)$ . If  $ts(T_i)<ts(T_j)$ , then  $T_i$  is aborted and the lock is granted to  $T_i$ .

- if  $ts(T_i) < ts(T_j)$  then  $T_i$  is wounded else  $T_i$  waits
- preemptive:  $T_i$  preempts  $T_j$  if it is younger

### Deadlock Detection

- Transactions are allowed to wait freely.
- Wait-for graphs and cycles.