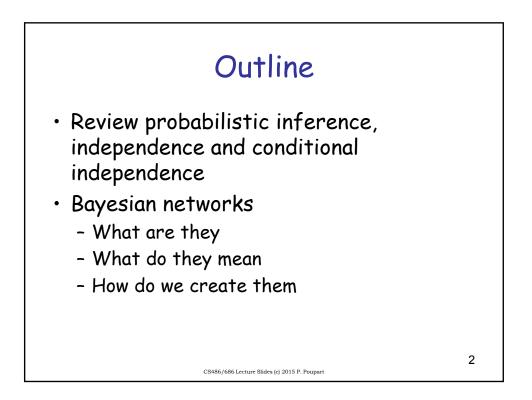
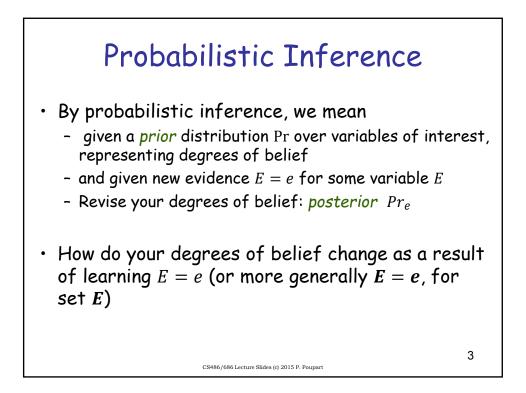
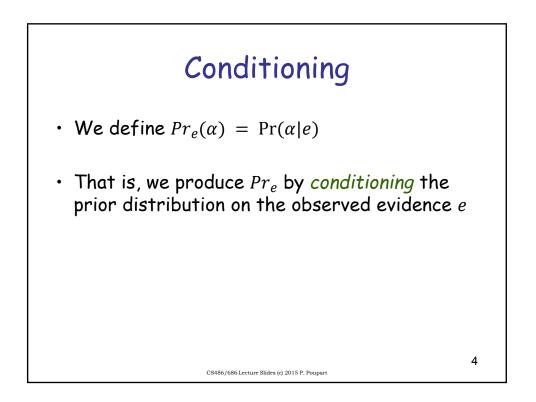
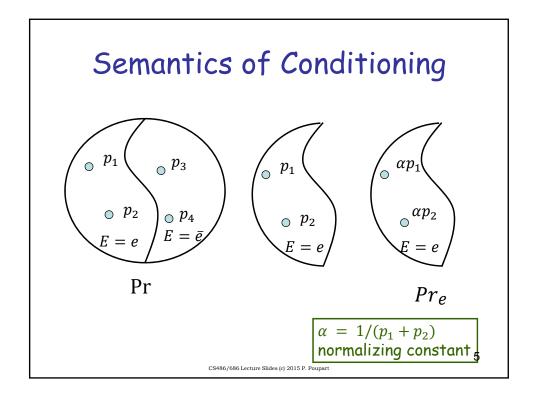
Probabilistic Reasoning [RN2] Sections 14.1, 14.2 [RN3] Sections 14.1, 14.2

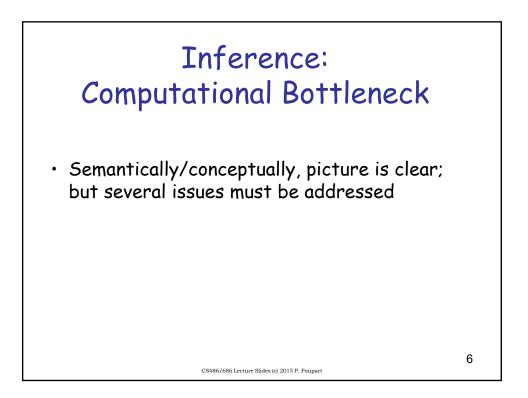
> University of Waterloo CS 486/686 Lecture 7: May 26, 2015

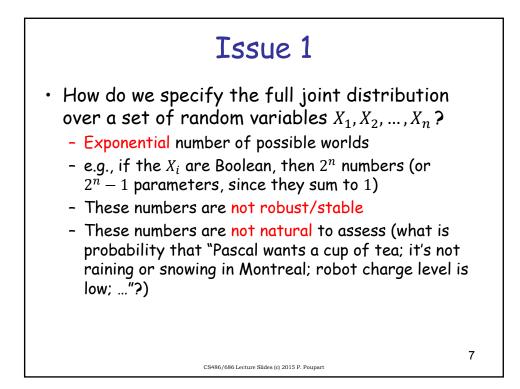


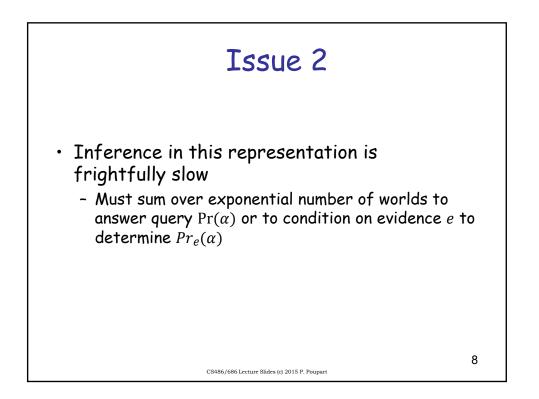




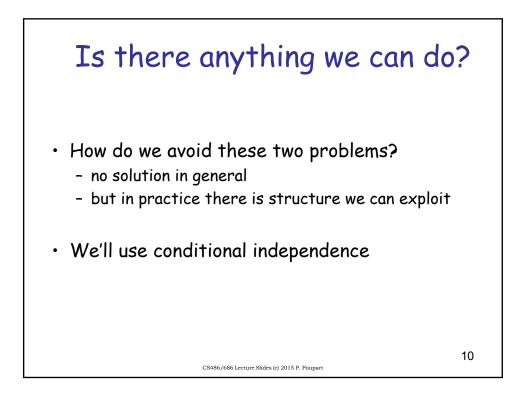


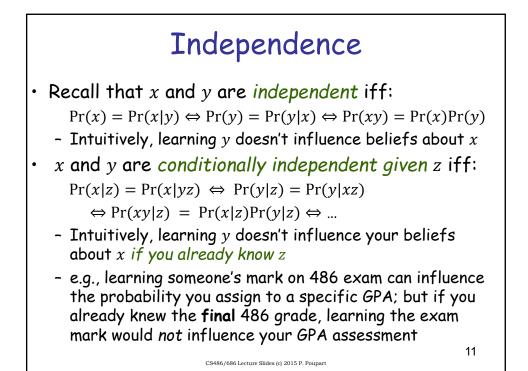


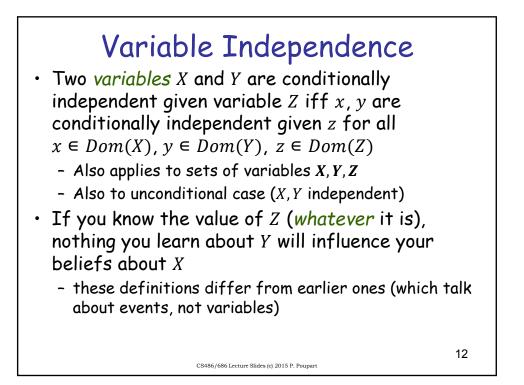


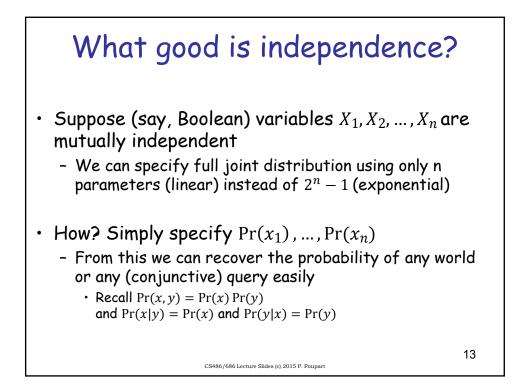


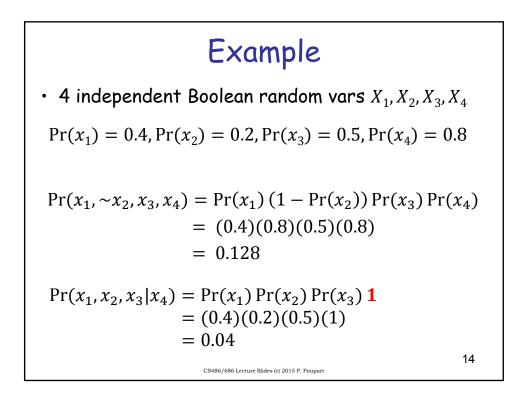
Small Example: 3 Variables						
sunny			~sunny			
	cold	~cold		cold	~cold	
headache	0.108	0.012	headache	0.072	0.008	
~headache	0.016	0.064	~headache	0.144	0.576	
Pr(headache) = 0.108 + 0.012 + 0.072 + 0.008 = 0.2						
$Pr(headache \land cold sunny) = Pr(headache \land cold \land sunny) / Pr(sunny)$ $= 0.108/(0.108 + 0.012 + 0.016 + 0.064) = 0.54$						
$\Pr(headache \land cold \sim sunny) = \Pr(headache \land cold \land \sim sunny) / \Pr(\sim sunny)$						
= 0.072/(0.072 + 0.008 + 0.144 + 0.576) = 0.09 CS486/686 Lecture Slides (c) 2015 P. Poupart 9						

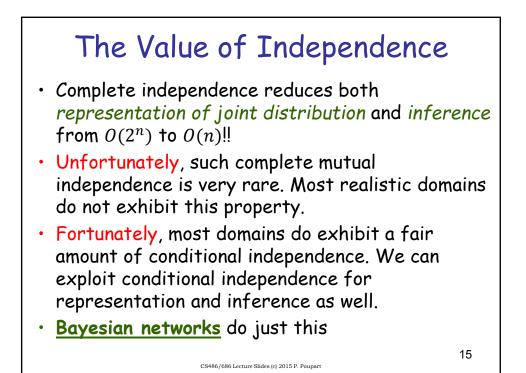














- Pr(X) for variable X (or set of variables) refers to the (marginal) distribution over X. Pr(X|Y) refers to family of conditional distributions over X, one for each y ∈ Dom(Y).
- Distinguish between Pr(X) -- which is a distribution and Pr(x) or $Pr(\sim x)$ (or $Pr(x_i)$ for non-Boolean vars) -- which are numbers. Think of Pr(X) as a function that accepts any $x_i \in Dom(X)$ as an argument and returns $Pr(x_i)$.
- Think of Pr(X|Y) as a function that accepts any x_i and y_k and returns $Pr(x_i|y_k)$. Note that Pr(X|Y) is not a single distribution; rather it denotes the family of distributions (over X) induced by the different $y_k \in Dom(Y)$

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16

