

CS 489 / 698: Software and Systems Security

Module 2: Program Security (Attacks)

weird machine

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Outline

- 1 Introduction
- 2 A tale of two state machines
- 3 Defining security

Based on paper

Weird Machines, Exploitability, and Provable Unexploitability

By *Thomas Dullien* published in 2017 when he was in Google Project Zero.

Why this paper?

It attempts to **formalize a concept** that has been intuitively known for quite a while in the community of security practitioners, i.e., both by the hackers and the researchers...

... and that concept is called **“exploit”**.

What is an exploit?

- Magic
- Access (mostly unauthorized)
- Controls the instruction pointer (e.g., EIP/RIP register)
- A program does something it is not supposed to do
- I can recognize it when I see it

They are not technically wrong, but are clearly ill-defined for academic research purposes.

Why do we bother to define it?

We need to make justifications in the real-world that depends on the concept of “exploits”:

- Mitigation strategies
 - e.g., difficulty of exploitation vs performance
 - e.g., difficulty of exploitation vs programmability
 - e.g., difficulty of exploitation vs complexity
- Exploitability of software/hardware defects
 - e.g., does the Rowhammer bug makes a big security problem?
 - e.g., can the Spectre bug be used to launch general attacks?
 - e.g., if yes, how?

The MitiGator

Raising the bar on exploitation until no more exploits can be seen



Learn principles, not examples

An important message conveyed by this paper (which is also a message I want to share with you), is that **exploitation IS NOT a “bag of tricks”**.

In security courses (including this one), we teaches

- Stack smashing, buffer overflows, heap exploitations
- SQL injection, XSS, etc
- ASLR, CFI, sandboxing, etc.

It is important to remember that there is a more fundamental principle behind these examples — *exploitation is all about entering and programming a weird machine.*

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Behind an “exploit”

By just saying that “I exploited something”, you are conveying at least two messages:

- There exists some software running on top of some hardware
- There are “defects” in either the software or hardware (or both).

What is software?

A software is an **emulator** for a finite-state machine (FSM) **we would like to have** but we don't.

Instead, we only have a general-purpose CPU which is designed to model a huge spectrum of FSMs.

Hence, the reason we develop software is to confine the CPU to follow and only follow the FSM **we intend to have**.

The intended finite state machine (IFSM)

The state machine we want to have is called the “intended finite-state machine” (IFSM).

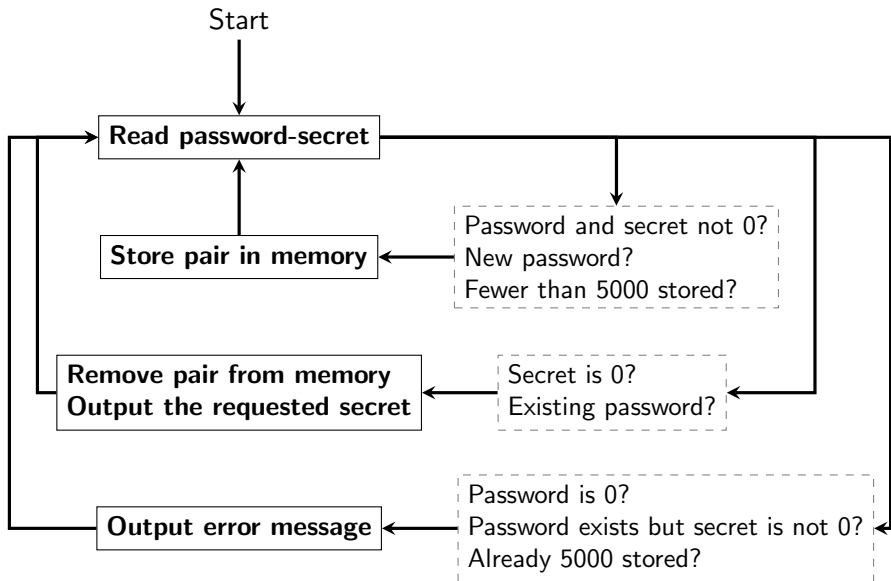
- It is usually not explicitly specified
- It is “perfect” by design — fully implements our intents
- It cannot, by definition, have security problems.

A concrete example: a secret-keeping machine

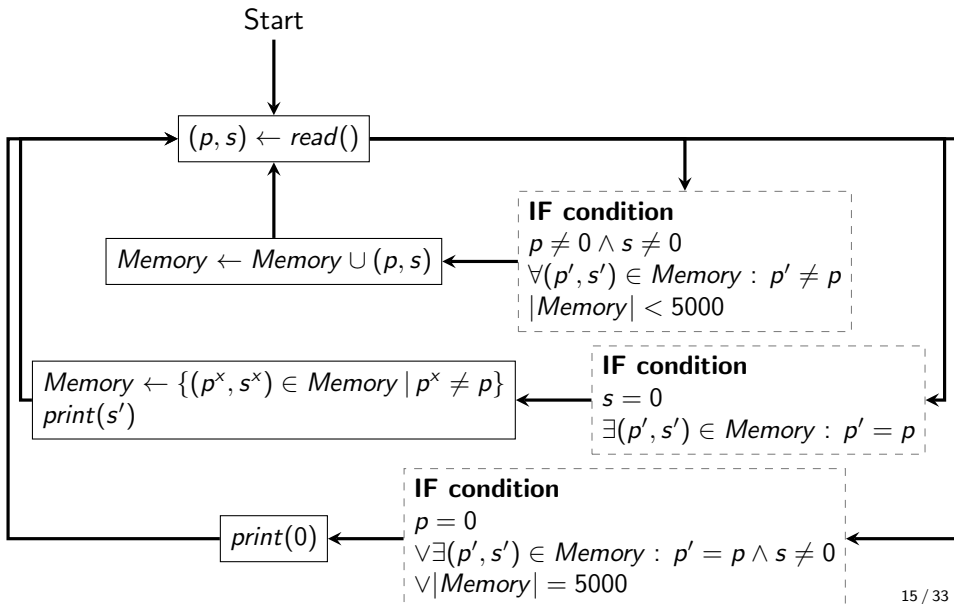
The machine has the following functionalities:

- Reads a password / secret (p, s) from a user and remembers it.
 - NOTE: neither p nor s can be 0 (0 is reserved as an error code)
- Given a password (p) that exists in the memory, the machine returns a previously-stored secret (s) and forget both.
- The machine will not need to store more than 5000 such pairs.

IFSM diagram



IFSM diagram



IFSM formalization

The set of all *Memory*, denoted as \mathcal{M} , can be formally defined as

$$\mathcal{M} = \left\{ \begin{array}{l} \emptyset \\ \{(p_1, s_1)\} \\ \dots \\ \{(p_1, s_1), \dots, (p_{5000}, s_{5000})\} \end{array} \middle| \begin{array}{l} p_i, s_i \in \{0, 1\}^{32} - \{0\} \\ p_i \neq p_j \end{array} \right\}$$

FSM quick recap

An FSM can be defined by a 7-tuple: $(Q, i, F, \Sigma, \Delta, \delta, \sigma)$

- Q : Set of states
- i : The initial state
- F : The set of final states
- Σ : The input alphabet
- Δ : The output alphabet
- δ : State transition function $\delta : Q \times \Sigma \rightarrow Q$
- σ : Output mapping function $\sigma : Q \times \Sigma \rightarrow \Delta$

IFSM formalization — what we intend to have

The IFSM of our secret-keeping program can be defined as:

- $Q: \{A_M, M \in \mathcal{M}\}$
- $i: A_\emptyset$
- $F: \emptyset$
- $\Sigma: \{(p, s) \mid p, s \in \{0, 1\}^{32}\}$
- $\Delta: \{0, 1\}^{32}$
- $\delta: A_M \times (p, s) \rightarrow A_M \mid A_{M \cup (p, s)} \mid A_{M - (p, s)}$
- $\sigma: A_M \times (p, s) \rightarrow s' \mid 0$

What we actually have: a realistic CPU

The Cook-and-Reckhow RAM machine

- 2^{16} memory cells each holding a 32-bit value
- 7 CPU registers (r_0 to r_6)
- A small set of instructions
 - Constant: $\text{LOAD}(C, r_d)$
 - Register operations: $\text{ADD}(r_{s1}, r_{s2}, r_d)$
 - Register operations: $\text{SUB}(r_{s1}, r_{s2}, r_d)$
 - Memory read: $\text{ICOPY}(r_p, r_d)$
 - Memory write: $\text{DCOPY}(r_d, r_s)$
 - Control flow: $\text{JNZ/JZ}(r, I_z)$
 - Environment IO: $\text{READ}(r_d)$
 - Environment IO: $\text{PRINT}(r_s)$
- Harvard architecture (program is provided and external to RAM)

CPU FSM formalization — what we actually have

The FSM of a general-purpose CPU can be defined as:

- $Q: (q_1, \dots, q_{2^{16}}) \times (r_0, \dots, r_6) \times p_i$ where $q_i, r_i \in \{0, 1\}^{32}, p_i \in P$
- $i: q_i = 0, r_i = 0, p_i = P_0$
- $F: \emptyset$
- Σ : CPU Instruction Set $\{I\}$
- $\Delta: \{0, 1\}^{32}$
- $\delta: Q \times I \rightarrow Q'$
- $\sigma: Q \times I \rightarrow (e \in \Delta)$

From spec to execution: a series of refinement

We want to translate our IFSM S_{spec} into our CPU FSM $S_{execution}$.

It is actually a multi-stage process, involving (non-exhaustively)

$$S_{spec} \sqsupseteq S_{language} \sqsupseteq S_{machine} \sqsupseteq S_{execution}$$

- $S_{spec} \not\sqsupseteq S_{language}$: software bug, blame the developer
- $S_{language} \not\sqsupseteq S_{machine}$: compiler bug, blame the compiler
- $S_{machine} \not\sqsupseteq S_{execution}$: hardware bug, blame the machine

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Bug \implies exploits?

Does having a bug in the refinement chain always implies a security issue (a.k.a., an exploit)?

What is security?

Security are properties of the IFSM that we want to hold in the presence of an adversary with a **specific attack model**.

Security of our secret-keeper

Informally, we want to ensure that anyone who interact with our program need to know (or guess) the right password in order to obtain the stored secret.

Put in a different way, the best way to attack our program to extract some secret is to guess the password.

Security of our secret-keeper

Formally, we want the security property to hold at our IFSM:

$$Pr[s \in O_{IFSM}] \leq \frac{|I_{attempt}|}{2^{32}}$$

As well as at the final execution stage, after the refinement chain

$$Pr[s \in O_{execution}] \leq \frac{|I_{attempt}|}{2^{32}}$$

Even in the presence of an attacker with the assumed power of performing **single chosen bit-flip**.

The security property depends on the implementation

- Naive implementation: Simulate the *Memory* set as a flat linear array with sequential scanning
- Clever implementation: Simulate the *Memory* set with two singly-linked lists.

Conclusion: the clever implementation is actually vulnerable.

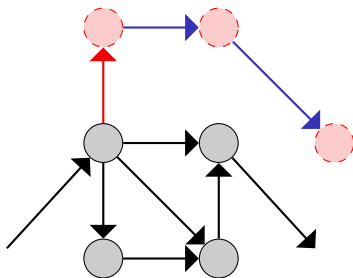
An attack on the clever implementation

- 1 Attacker sends $(p_0, s_0), (p_1, s_1), (p_2, s_2)$
- 2 Victim sends (p_d, s_d)
- 3 Attacker sends $(p_2, 0), (p_1, 0), (p_3, s_3), (p_4, s_4)$
- 4 Attacker gets to corrupt a single bit: flip the least significant bit for memory cell content at $b'0101$ (i.e., cell $0x5$)
- 5 Attacker sends $(s_4, 0)$
- 6 Attacker sends $(12, 0)$ and obtains s_d

The naive implementation is secure

Please refer to [the paper](#) for the details of the proof.

Programming the weird machine

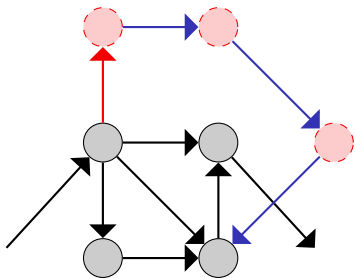


An emergent instruction set

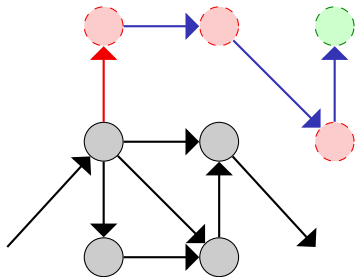
This weird machine creates an emergent instruction set that is constrained by:

- The IFSM
- The program that is refined from the IFSM
- The CPU FSM

Outcomes of weird machine programming



Reverted back to the IFSM



Reached the target state

⟨ **End** ⟩