

Notation Cheat Sheet

1. $+$ Addition
2. $-$ Subtraction
3. \times, \cdot Multiplication
4. $\div, /$ Division
5. $\mathbb{N} = \{1, 2, 3, \dots\}$ Natural Numbers
6. \mathbb{Z} Integers (Zählen)
7. \mathbb{Q} Rational Numbers (Quoziente)
8. \mathbb{R} Real Numbers
9. \neg Not, Negation
10. \vee Or
11. \wedge And
12. \equiv Logically Equivalent (Later: Congruences)
13. $|$ Divides
14. \Rightarrow Implies (If... Then)
15. \Leftrightarrow , (iff) If and Only If
16. \in In
17. \notin Not In
18. $\{\}, \emptyset$ Empty Set
19. \cap Intersection (Of Sets)
20. \cup Union (Of Sets)
21. S^c, \bar{S} Set Complement (With Respect to a Universe U)
22. $S - T$ Set Difference
23. $S \times T$ Cartesian Product
24. \subset Subset
25. \subseteq Subset Or Equal
26. \subsetneq Proper/Strict Subset (Subset Not Equal)
27. \supset Contains

28. \supseteq Contains Or Equal
29. \supsetneq Properly/Strictly Contains (Contains Not Equal)
30. \forall For All
31. \exists There Exists
32. $\exists!$ There Exists a Unique
33. \exists^∞ There Exists Infinitely Many
34. # A contradiction
35. \therefore Therefore
36. \because Since (or Because)
37. BWOC By Way of Contradiction
38. WLOG Without Loss of Generality
- 39.

$$\begin{aligned} f : \mathbb{R} &\rightarrow \mathbb{N} \\ x &\mapsto \lfloor x \rfloor \end{aligned}$$

Here, f is a function from the real numbers to the natural numbers defined by sending x to the floor of x , that is, $f(x) = \lfloor x \rfloor$ (floor here means drop the decimal).

40. \hookrightarrow Injects
41. \twoheadrightarrow Surjects
42. $\sum_{i=1}^n a_n = a_1 + a_2 + \dots + a_n$ Summation
43. $\sum_{i=1}^0 a_n = \sum_{x \in \emptyset} x = 0$ Empty Sum
44. $\prod_{i=1}^n a_n = a_1 \cdot a_2 \cdot \dots \cdot a_n$ Product
45. $\prod_{i=1}^0 a_n = \prod_{x \in \emptyset} x = 1$ Empty Product
46. $\gcd(a, b)$ Greatest Common Divisor of a and b
47. $\text{lcm}(a, b)$ Least Common Multiple of a and b .
48. LDE Linear Diophantine Equations (Seeking integer solutions to an equations over the integers).

49. $a \equiv b \pmod{m}$ a is congruent to b modulo m , $m \mid (a - b)$.

50. \coloneqq Defined To Be (Is Defined As)

51. $[a] = \{x \in \mathbb{Z} : x \equiv a \pmod{m}\}$.

52. $\mathbb{Z}/m\mathbb{Z} = \mathbb{Z}_m = \{[0], [1], \dots, [m-1]\}$, Integers Modulo m .